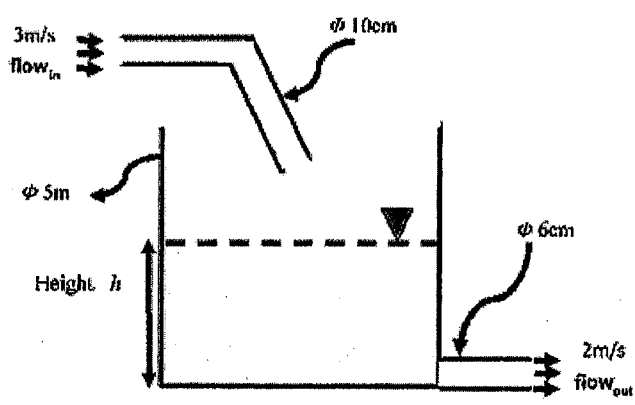
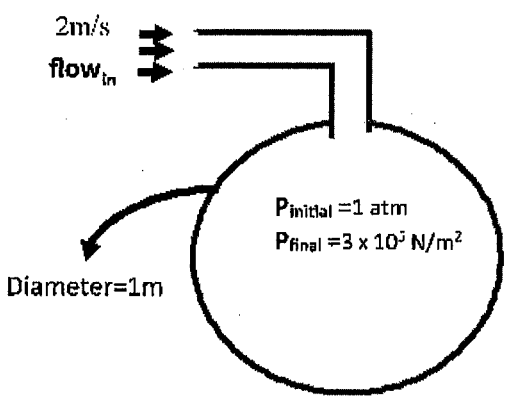
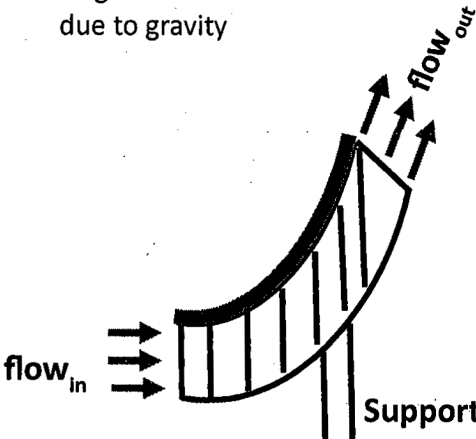


Sl No.	Questions	Marks
1. (CO1)	(i) State Reynolds Transport Theorem and describe its purpose. (ii) water storage tank of diameter 5 meter is fed by a pipe of diameter 10cm & drained by a pipe of 6 cm diameter. Water enters at a uniform speed of 3 m/s & leaves at 2 m/s. Find the rate at which the water level in the tank rises.  (iii) Spherical tank of diameter 1 meter filled with air at 1 atm pressure. It is fed by a pipe of diameter 2 cm at 2m/s rate. The inlet pressure is $3 \times 10^5 \text{ N/m}^2$. Temperature of the tank is 300k which is also same with pipe temperature. Find the time required to fill the tank upto the pressure of $3 \times 10^5 \text{ Pa}$. 	3+10 +12 =25
1. OR	(i) What are the differences between a tensor and a vector? Give examples (ii) Show that the skew-symmetric matrix is a vector. (iii) Show the rotation of fluid elements is half of vorticity from translation and deformation of fluid elements with diagram.	3+2+20 =25

Sl No.	Questions	Marks
2. (CO2)	(i) A two-dimensional velocity field is given by $u = -Ky/(x^2+y^2)$ and $v = -Kx/(x^2+y^2)$. Comment on the flowing features of the flow field: (1) Is the flow steady or unsteady? (2) Is the flow compressible or incompressible? (3) Is the flow rotational or irrotational? (4) What is the shear strain rate in the flow at a location (1,1)? (ii) A fluid is flowing at a constant flow rate of Q through a divergent pipe having inlet and outlet diameters of D_1 and D_2, respectively, and a length of L. Assuming the velocity to be axial and uniform at any section, show that the accelerations at the inlet and outlet of the pipe are given by $-\frac{32(D_2-D_1)Q^2}{\pi^2 D_1^5 L}$ and $-\frac{32(D_2-D_1)Q^2}{\pi^2 D_2^5 L}$, respectively.	12+13 = 25
3. (CO3)	Starting from the continuity and momentum equations for a steady, incompressible laminar fully developed flow between a pair of fixed, parallel plates, separated by a distance H , deduce the velocity profile. Show the zero shear stress plane. Consider that the flow is subjected to an axial pressure gradient $G = -dp/dx$. Show that the average velocity is $2/3^{\text{rd}}$ the maximum velocity.	25
4. (CO4)	(i) State how the conservation of mass and momentum equations in the differential forms can be deduced using RTT (ii) A jet of diameter 1 cm impinges on a stationary vane with a support which deflects it by 60° angle. The jet velocity remains constant throughout the flow over the vane. Find the force exerted by the jet on the vane and the support. • The pressure is constant • Neglect the force due to gravity 	15+10 = 25
4. OR	i) Describe the Stokes' First problem. ii) State the governing differential equation and the underlying assumptions and impose the appropriate boundary condition.	12+13 = 25